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## BIG IDEAS

## Graphing Quadratic Functions

You can use the properties below to graph any quadratic function.
The graph of $y=a x^{2}+b x+c$ is a parabola that:

- opens up if $a>0$ and opens down if $a<0$.

$$
y=a x^{2}+b x+c, a>0
$$

- is narrower than the graph of $y=x^{2}$ if $|a|>1$ and wider if $|a|<1$.
- has an axis of symmetry of $x=-\frac{b}{2 a}$.
- has a vertex with an $x$-coordinate of $-\frac{b}{2 a}$.
- has a $y$-intercept of $c$. So, the point $(0, c)$ is on the parabola.



## Solving Quadratic Equations

You can use the following methods to solve a quadratic equation. Sometimes it is easier to use one method instead of another.

| Method | When to use |
| :--- | :--- |
| Graphing | Use when approximate solutions are adequate. |
| Finding square roots | Use when solving an equation that can be written in <br> the form $x^{2}=d$. |
| Completing the square | Can be used for any quadratic equation $y=a x^{2}+b x+c$ <br> but is simplest to apply when $a=1$ and $b$ is an even <br> number. |
| Quadratic formula | Can be used for any quadratic equation |

## Comparing Linear, Exponential, and Quadratic Models

You can use linear, exponential, and quadratic functions to model data.

| Function | Example | $x$ - and $y$-values |
| :--- | :--- | :--- |
| Linear | $y=5 x+1$ | If the increments between successive <br> $x$-values are equal, the differences of <br> successive $y$-values are all equal. |
| Exponential | $y=3(2)^{x}$ | If the increments between successive <br> $x$-values are equal, the ratios of successive <br> $y$-values are all equal. |
| Quadratic | $y=x^{2}-4 x+6$ | If the increments between successive <br> $x$-values are equal, the differences of <br> successive first differences of $y$-values are <br> all equal. |

